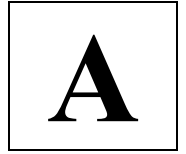
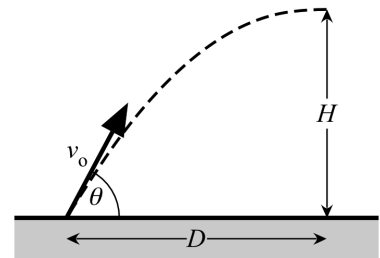


- 1) Print your name, test form number (above), and nine-digit student number in the section of the answer card labeled "STUDENT IDENTIFICATION".
- 2) Bubble your test form number (**ABOVE**) in columns 1-3, skip column 4, then bubble in your student number in columns 5-13.
- 3) For each free-response question, show all relevant work supporting your answer. **Clearly box or underline your final answer.** "Correct" answers which are not supported by adequate calculations and/or reasoning will be counted wrong.
- 4) For each multiple-choice question, select the answer most nearly correct, **circle this answer on your test**, and bubble it in on your answer card. **Show all relevant work on your quiz.**
- 5) Be prepared to present your Buzzcard as you turn in your test. Scores will be posted to WebAssign after they have been graded. **Test grades become final when the next quiz is given.**
- 6) You may use a simple scientific calculator capable of logarithms, exponentials, and trigonometric functions. **Programmable engineering calculators with text or graphical capabilities are not allowed. Wireless devices are prohibited.**



- [I]** (20 points) A cannon launches a projectile from ground level with speed v_0 , at some angle θ above the horizontal. Find expressions for the maximum height H reached by the projectile, and also the horizontal distance D that the cannonball travels as it reaches that maximum height (see figure). In each case, your answer should involve only v_0 , θ , and g .

Finally, calculate the ratio H/D . Express your answer in terms of θ only.

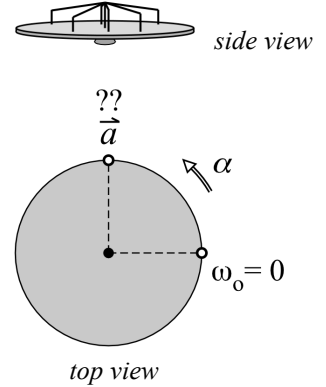


The following problem will be hand-graded. Show all your work for this problem. Make no marks and leave no space on your answer card for it.

- III** (20 points) A playground merry-go-round of radius R is initially at rest. It is pushed by several children, giving it a constant *angular* acceleration α . What is the acceleration vector \vec{a} (magnitude and direction) of a point on the rim of the merry-go-round, after it has rotated through **one-quarter** of a revolution?

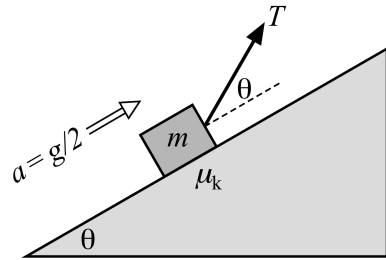
Express the magnitude of \vec{a} in terms of α and R . Express the direction of \vec{a} as an angle in degrees, measured from the radially inward direction.

Hint: start by finding the angular speed of the merry-go-round after $\frac{1}{4}$ revolution.



The following problem will be hand-graded. Show all your work for this problem. Make no marks and leave no space on your answer card for it.

[III] (20 points) A block of mass m is being pulled up a rough inclined plane by a cable, as shown at right. The plane is inclined at an angle $\theta = 30^\circ$ above the horizontal, and the cable is inclined at the same angle $\theta = 30^\circ$ **above the incline itself**. The coefficient of kinetic friction between the block and the surface is $\mu_k = 1/4$. The block is observed to accelerate up the incline with $|\vec{a}| = \frac{1}{2}g$ (where g is the acceleration due to gravity).



$$\sin 30^\circ = \frac{1}{2}$$

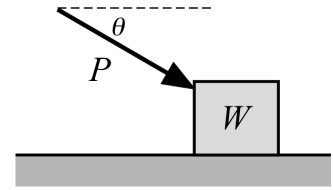
$$\cos 30^\circ = \frac{\sqrt{3}}{2}$$

$$\tan 30^\circ = \frac{1}{\sqrt{3}}$$

- (i) Draw a free body diagram for the block. The quality and clarity of your diagram will be graded as part of your work!
- (ii) Determine the tension in the cable. Express your answer as a numerical multiple of the block's true weight, mg .

Question value 8 points

- (1) In the figure at right, a block of weight $W = 25 \text{ N}$ is placed on a rough surface, and pushed with a force of magnitude $P = 15 \text{ N}$, directed at an angle 30° below the horizontal. It is observed that the block does not move. What can we say about the coefficient of static friction?

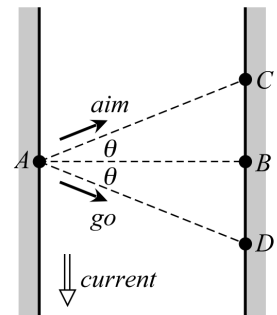


- (a) μ_s must be $= 0.300$
 (b) μ_s must be ≥ 0.600
 (c) μ_s must be ≤ 0.400
 (d) μ_s must be ≥ 0.400
 (e) μ_s must be ≤ 0.300

Question value 8 points

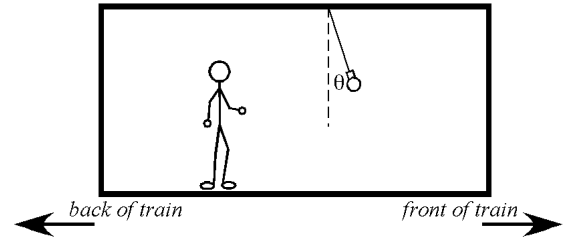
- (2) A kayaker can paddle with a sustained speed v through still water. She wishes to ferry across a river, directly to the other side (from A to B). She aims *upstream* at an angle θ from straight across (toward C), but she finds that she actually ends up drifting *downstream* at the same angle θ from straight across (ending up on the far side at D). What is the speed of the river current, v_{water} ?

- (a) $v_{\text{water}} = 2v \sin \theta$
 (b) $v_{\text{water}} = (v/2) \cos \theta$
 (c) $v_{\text{water}} = v \sin \theta$
 (d) $v_{\text{water}} = 2v \tan \theta$
 (e) $v_{\text{water}} = v \cos \theta$



The next two questions involve the following situation:

You are on a train in a windowless boxcar, facing toward what you know to be the front of the train. A single lightbulb hangs from the ceiling. You observe that the cord does not hang vertically, but instead hangs tilted toward the front of the train, making an angle $\theta = 18^\circ$ from the vertical.



Question value 4 points

- (3) Which of the following statements might describe the motion of the train?

Hint: draw a free body diagram before you try to answer this question.

- (a) The train is moving backward and losing speed.
- (b) The train is moving backward at constant speed.
- (c) The train is moving forward and gaining speed.
- (d) The train is moving backward and gaining speed.
- (e) The train is moving forward at constant speed.

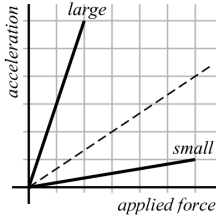
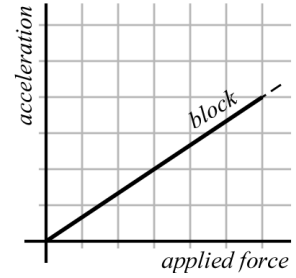
Question value 4 points

- (4) What is the magnitude of the train's acceleration?

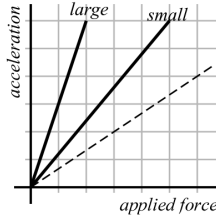
- (a) zero
- (b) 9.32 m/s^2
- (c) 3.18 m/s^2
- (d) 3.03 m/s^2
- (e) 6.17 m/s^2

Question value 8 points

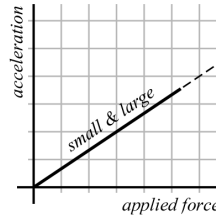
- (5) A block is subjected to an applied force F of varying magnitude, and the magnitude of the block's resulting acceleration is plotted as a function of F , as shown at right. The block is then broken apart into two unequal fragments, large and small, and each fragment is *separately* subjected to the same series of force measurements that was used on the whole block. Which of the graphs below *best* represents the a -vs- F graphs for the two fragments?



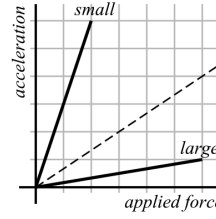
(a)



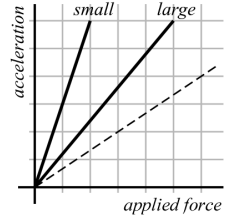
(b)



(c)



(d)



(e)

Question value 8 points

- (6) A block is placed on the floor of a stationary elevator. When given a shove with initial speed v_0 , it slides a distance D before stopping. With the same elevator is in motion, the same block is given a shove with the same initial speed v_0 , and the block is observed to slide a distance $2D$ before stopping. Which of the following statements might be an accurate description of the elevator's motion?

- (a) It can either be ascending or descending, but it must be moving with decreasing speed.
- (b) It is descending at increasing speed.
- (c) This situation is not possible; the block will always have the same stopping distance D , no matter how the elevator is moving.
- (d) It is descending at constant speed.
- (e) It is ascending at increasing speed.